

AP Chapter 7 Review

A number that describes the whole population is known as a PARAMETER.

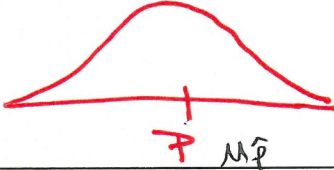

A number that is calculated from a sample is known as a STATISTIC.

We always use a STATISTIC to estimate a PARAMETER.

In Section 7-2, we used a sample proportion (\hat{p}) to estimate a population proportion.

In Section 7-3, we used a Sample mean (\bar{x}) to estimate a population mean.

Summary:

	Sample Proportions	Sample Means
What is the parameter?	P	μ
What is the statistic?	\hat{P}	\bar{X}
Draw Sampling Distribution.	Sampling Dist. of \hat{P} 	Sampling Dist of \bar{X} 
When is the sampling distribution approximately normal?	<u>NORMAL</u> LARGE COUNTS $np > 10$ $n(1-p) > 10$	#1 <u>THE POPULATION DISTRIBUTION IS APPROX. NORMAL OR</u> #2 <u>IF THE SAMPLE IS LARGE, CLT ($n > 30$)</u>
What is the mean of the sampling distribution?	$\mu_{\hat{P}} = P$	$\mu_{\bar{X}} = \mu$
What is the standard deviation of the sampling distribution?	$\sigma_{\hat{P}} = \sqrt{\frac{P(1-P)}{n}}$	$\sigma_{\bar{X}} = \frac{\sigma}{\sqrt{n}}$
What condition must be satisfied in order to use the above S.D. formula?	<u>INDEPENDENCE</u> Sampling w/o replacement - 10% Condition $n \leq 1/10 N$	
What is the formula for a z-score?	$Z = \frac{\hat{P} - P}{\sqrt{\frac{P(1-P)}{n}}}$	$Z = \frac{\bar{X} - \mu}{\sigma/\sqrt{n}}$

Key Points of Binomial Distributions (CH6)

BINS

$$\mu = np$$

$$\sigma = \sqrt{np(1-p)}$$

$$P(X=k) = {}_n C_k \cdot p^k \cdot (1-p)^{n-k}$$