

EQUATIONS TYPICALLY HAVE 1 SOLUTION.
 INEQUALITIES HAVE AN INFINITE (∞) NUMBER OF SOLUTIONS; THEREFORE WE GRAPH THEM TO VISUALLY SEE ALL SOLUTIONS

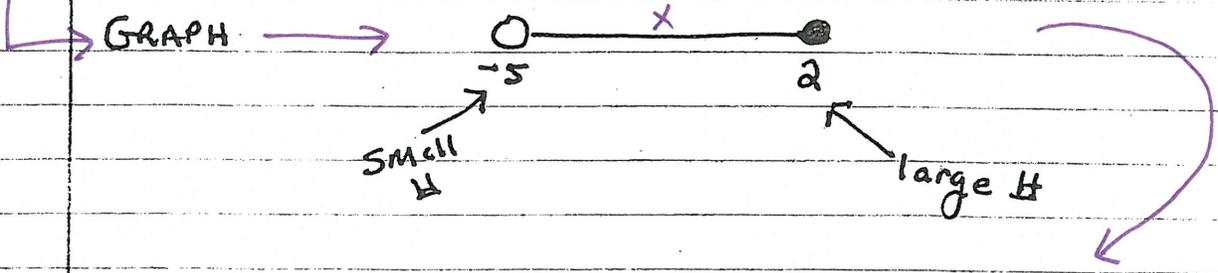
4.2B NOTES REVIEW INEQUALITIES

- ① SINGLE INEQUALITIES WE WRITE:
- VARIABLE SYMBOL NUMBER
- CLOSED DOT =, \leq , \geq SO THE SYMBOL
 - OPEN DOT \neq , $>$, $<$ AND ARROW GO
- IN THE SAME DIRECTION
- EX A] $x > 5$ GRAPH \rightarrow 
- EX B] $x \leq 3$ GRAPH \rightarrow 
- ↑ THIS LINE MEANS '='S

② COMPOUND AND INEQUALITY

$-5 < x \leq 2$

Read " $x > -5$ AND $x \leq 2$ "



SOLUTIONS: ALL NUMBERS GREATER THAN -5 AND LESS THAN OR EQUAL TO 2.

$-5 < x \leq 2$

↑ (over) ↑ LARGE #

Small #

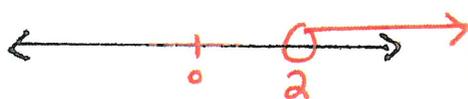
ALWAYS USE $<$ OR \leq SYMBOLS FOR "AND"

TRY THESE

FOR EACH INEQUALITY GRAPH AND STATE IF ANY OF THE FOLLOWING NUMBERS ARE SOLUTIONS: $-3, -2, -1, 0, 1, 2, 3$

①

$$x > 2$$



s: 3

②

$$x \leq -1$$



s: $-3, -2, -1$

③

$$-1 \leq x \leq 1$$



s: $-1, 0, 1$

④

$$-2 < x < 2$$



s: $-1, 0, 1$

⑤

$$-3 \leq x < 0$$



s: $-3, -2, -1$

⑥

$$-1 < x \leq 3$$



s: $0, 1, 2, 3$

4.2B NOTES

Your Notes

WITH DOMAIN RESTRICTIONS

Example 4

 Graph a linear function

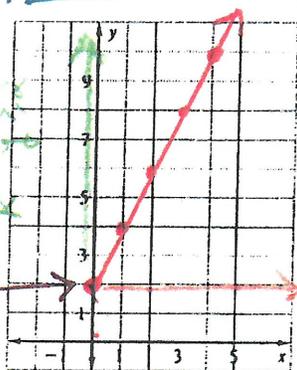
Graph the function $y = 2x + 2$ with domain $x \geq 0$. Then identify the range of the function.

Solution

Step 1 Make a Table starting at 0.0

x	0	1	2	3	4
y	2	4	6	8	10

Step 2 Plot the POINTS



Step 3 Connect the points with a RAY because the domain is $x \geq 0$ and is restricted.

Step 4 Identify the range. From the graph, you can see that all points have a y-coordinate of 2 OR MORE so the range of the function is 2.

R: $y \geq 2$

CLOSED DOTS

=, \leq , \geq

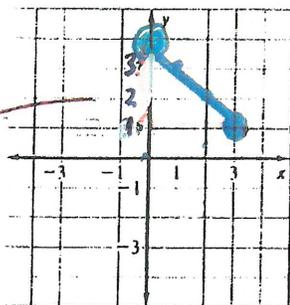
OPEN DOT

$>$, $<$

because $D: x \geq 0$ the point $(0, 2)$ is a solution.

✔ **Checkpoint** Complete the following exercise.

5. Graph the function $y = -x + 4$ with domain $0 \leq x \leq 3$. Then identify the range of the function.



$y = -x + 4$ $D: 0 \leq x \leq 3$

x	y
0	4
1	3
2	2
3	1

(0, 4) and (3, 1) are solutions because

ALL the numbers greater than 0 and less than or EQUAL to 3.

\leq it is a solution + use a closed dot

Homework

Range:

$R: 1 \leq y \leq 4$
↑ small # ↑ big #