## Chapter 5 AP Statistics Practice Test

Section I: Multiple Choice Select the best answer for each question.

T5.1. Dr. Stats plans to toss a fair coin 10,000 times in the hope that it will lead him to a deeper understanding of the laws of probability. Which of the following statements is true?

- (a) It is unlikely that Dr. Stats will get more than 5000 heads.
- (b) Whenever Dr. Stats gets a string of 15 tails in a row, it becomes more likely that the next toss will be a head.
- (c) The fraction of tosses resulting in heads should be close to 1/2.
- (d) The chance that the 100th loss will be a head depends somewhat on the results of the first 99 tosses.
- (e) All of the above statements are true.

T5.2. China has 1.2 billion people. Marketers want to know which international brands they have heard of. A large study showed that 62% of all Chinese adults have heard of Coca-Cola. You want to simulate choosing a Chinese at random and asking if he or she has heard of Coca-Cola. One correct way to assign random digits to simulate the answer is:

- (a) One digit simulates one person's answer; odd means "Yes" and even means "No."
- (b) One digit simulates one person's answer; 0 to 6 mean "Yes" and 7 to 9 mean "No."

(c) One digit simulates the result; 0 to 9 tells how many in the sample said "Yes."

(d) Two digits simulate one person's answer 00 to 61 mean "Yes" and 62 to 99 mean "No."

Two digits simulate one person's answer; 00 to 62 mean "Yes" and 63 to 99 mean "No."

T5.3. Choose an American household at random and record the number of vehicles they own. Here is the probability model if we ignore the few households that own more than 5 cars:

						-
Number of cars:	0	1	2	3	4	5
Probability:	0.09	0.36	0.35	0.13	0.05	0.02

A housing company builds houses with two-car garages. What percent of households have more cars than the garage can hold?

garage can hold?
(a) 7% (b) 13% (c) 20% (d) 45% (e) 55%

T5.4. Computer voice recognition software is getting better. Some companies claim that their software correctly recognizes 98% of all words spoken by a trained user. To simulate recognizing a single word when the probability of being correct is 0.98, let two digits simulate one word; 00 to 97 mean "correct." The program recognizes words (or not) independently. To simulate the program's performance on 10 words, use these random digits:

60970 70024 17868 49843 61790 90656 87964 18883 The number of words recognized correctly out of the 10 is

(a) 10 (b) 9 (c) 8 (d) 7 (e) 6

PROBABILITY ONLY TELLS US WHAT HAPPENS APPROXIMATELY IN THE LONG RUN, NOT WHAT WILL HAPPEN IN THE SHORT RUN.

YOU NEED EXACTLY 62 OF THE 100 2-DIGIT NUMBERS TO REPRESENT THE EVENT "HAVING HEARD OF COKE"

P(MORE THAN 2) = , 13+, 05+,02 = ,20

Questions T5.5 to T5.7 refer to the following setting. One thousand students at a city high school were classified according to both CPA and whether or not they consistently skipped classes. The two-way table below summarizes the data.

		GPA		
Skipped Classes	<2.0	2.0-3.0	>3.0	
Many	80	25	5	=11
Few	175	450	265	
1	255			1000

T5.5. What is the probability that a student has a CPA under 2.0?

(a) 0.227 (b) 0.255 (c) 0.450 (d) 0.475 (e) 0.506

T5.6. What is the probability that a student has a GPA under 2.0 or has skipped many classes?

(a) 0.080 (b) 0.281 (c) 0.285 (d) 0.365 (e) 0.727

P(42.0) = 255 = (.255

P ( 2.0 or Skipped Monyclasses) =

15.7. What is the probability that a student has a CPA under 2.0 given that he or she has skipped many classes?

(a) 0.080 (b) 0.281 (c) 0.285 (d) 0.314 (e) 0.727

T5.8. For events A and B related to the same chance process, which of the following statements is true?

(a) If A and B are mutually exclusive, then they must be independent.

(b) If A and B are independent, then they must be mutually exclusive.

(c) If A and B are not mutually exclusive, then they must be independent.

(d) If A and B are not independent, then they must be mutually exclusive.

(e) If A and B are independent, then they cannot be mutually exclusive.

T5.9. Choose an American adult at random. The probability that you choose a woman is 0.52. The probability that the person you choose has never married is 0.25. The probability that you choose a woman who has never married is 0.11. The probability that the person you choose is either a wornan or has never been married (or both) is therefore about

(a) 0.77. (b) 0.66. (c) 0.44. (d) 0.38. (e) 0.13.

T5.10. A deck of playing cards has 52 cards, of which 12 are face cards. If you shuffle the deck well and turn over the top 3 cards, one after the other, what's the probability that all 3 are face cards?

(a) 0.001 (b) 0.005 (c) 0.010 (d) 0.012 (e) 0.02

P (GPA (2.0 | SKIPPED MANY Classes)= 80/110 = ,7272

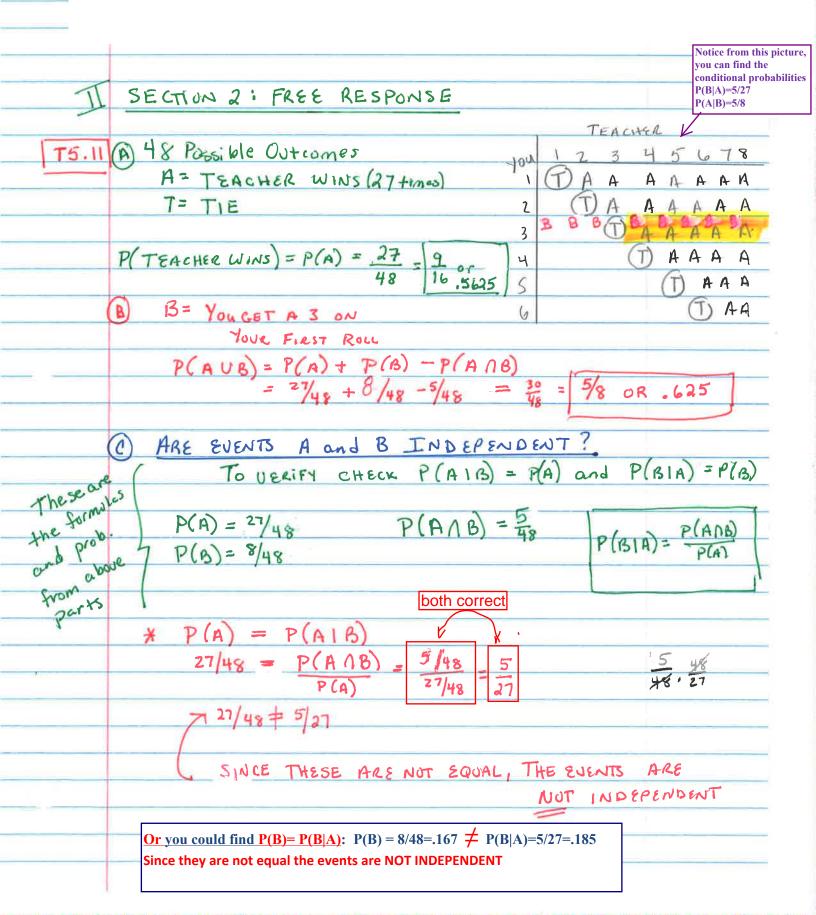
IF A and B are independent, then we don't know whether B has occurse if A occured. But if A and B are mutuelly exclusive, then if B has occured then we know that occurred. A Couldn't have

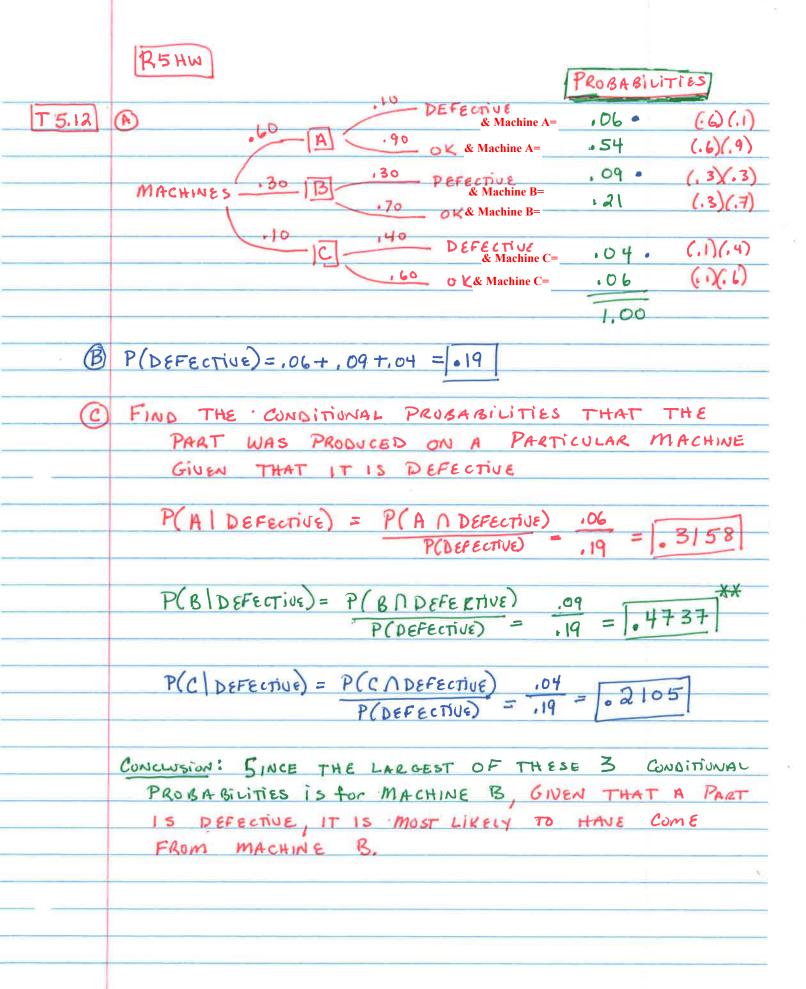
P (women) = .52 P(women and never merried) = 11 P(women and never merried) = P(women or never merried) = 152 + 25 - 11 = (66)

P(1ST FACE and 2 "FACE and 3rd face) =

12 . 11 . 10 × 1320 0 7.00995

## HW Chapter 5 AP TEST





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P(SMOKES) = .25
P(SMOKES and CANCER) = .08
T5,13
                                                        Given from the
             P(NOT SMOK & AND NOT CANCER) =.71
                                                        table using %5
       P(CANCER SMOKER)=
    A
                                                     Smoke NOT
                P(Cancer and Smoke)
                                                                     12
                    P (smoke)
                                                                    88
                                                NOT
                                                                  100
    B P( SMOKE or Cancer) = (See table for work)
               P(smoke) + P(Concer) - P(smoke and Concer)
                 25/100 + 12/100 - 8/100 = (.29)
         OR WE can use the complement rule. IF we know
             P ( not smoke and NOT concer), the remaining part
              is 1 - P(not smoke and NOT Concer).
         Therefore: P(Smoke or Concer) = 1 - P(not smokeand not concer)
                                           1-,71 = (.29)
          P(at least one of two get cancer) =

1 - (neither gets cancer) =

1 - (.88) 2 = .2256
 plancer 2/20%
              TIP: when you see "AT LEAST," think!!! 1-P(neither or none)
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(R5HW)

T5,14	P(OUT OF STATE) = .17
(a)	Simulation Design
	1 assign the numbers 01-17 TO REPLESENT
1:	OUT OF STATE CARS
NOTE: USI SINCE USI	IN STATE CARS ASSIGNED 00, 18-99
Sinceped	3 START READING 2-DIGIT NUMBERS FROM
Since Reped	A RANDOM TABLE UNTIL YOU GET 2
are	Numbers between 01 and 17; and ignore repeats.
~	4) Repeat many times for simulation
Ь	3 REPETITIONS (NOTE - DO NOT CHANCE LINES
	FOR EACH SIMULATION)
	#1: 41,05,09 - BCars to get 2 out of state
#20	FIR EACH SIMULATION)  #1: 41,05,09 - 3Cors to get 2 out of stold  20,31,06,44,90,50,59,59,88,43, [8,80,53,11] - 12cors 4
,,,,	out 0+14
	#3:58,44,69,94,86,85,79,67,05,81,18,45,14
	2 OUT OF STATE CARS OUT OF 13