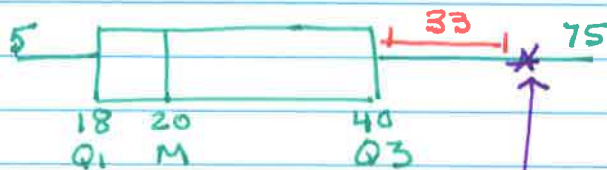


# CUMULATIVE AP PRACTICE TEST #2

(Pg 461 - )

AP2.1 (A)



OUTLIER  $IQR * 1.5 + Q3 =$   
 $(40 - 18) * 1.5 + 40 =$   
 $22 * 1.5 + 40 =$   
 $33 + 40 = 73$

OUTLIER WOULD BE ANY VALUE = 73<sup>+</sup>  
 Hence the <sup>max</sup> whisker is 33.

AP2.2 (D)

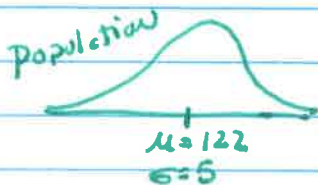
X = # OF HEADS IN 4 TOSSES

$P(\text{AT LEAST 1 TAIL IN 4 TOSSES}) = 1 - P(\text{NO TAILS})$   
 $= 1 - .0625 =$

$P(X=4) = 4 \text{ heads } + 0 \text{ tails} = .0625$

**.9375**

AP2.3 (E)



Sample: SRS  $n = 200$

CLT applies since  $n > 30$   
 therefore the distribution  
 IS NORMAL.

$\mu_{\bar{x}} = \mu = 122$

$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}} = \frac{5}{\sqrt{200}}$

**$\sigma_{\bar{x}} = .35$**

AP2.4 (B)

The simulation must represent the probability of  $1/5$ . (B) provides the correct probability

Correct answers: 0, 1 = 2 outcomes

Incorrect answers: 2, 3, 4, 5, 6, 7, 8, 9 = 8 outcomes

There the probability  $\frac{2}{10}$  reduces to  $(1/5)$

AP 2.5

(C)

use the formula on the Green Sheet for a binomial distribution

B - 6 or NOT

I - disc

N - fixed #  $n = 4$

S -  $p = 1/6$

$$P(X=1) = \binom{n}{k} p^k (1-p)^{n-k}$$

$$= \binom{4}{1} \left(\frac{1}{6}\right)^1 \left(\frac{5}{6}\right)^3$$

$$P(X=1) = 4 \left(\frac{1}{6}\right) \left(\frac{5}{6}\right)^3$$

There are 4 possible outcomes

Calc 4 math Prob n Cr > 1 = (4)

AP 2.6

(E)

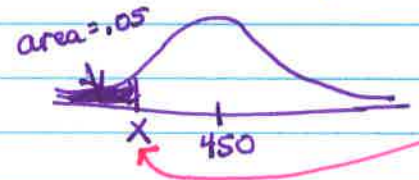
955 | 92 9 | 400 | 769 | 335

AP 2.7

(C)

2016 bag  $\rightarrow N(450, 20)$

will replace bags 5% of bags w/ too few bricks



$$X = \text{invNorm}(.05, 450, 20)$$

$$X = 417.10$$

ROUND UP  
 $X = 418$

AP 2.8

(A)

Block to determine if there is a difference between 2 groups - employed or not employed

AP 2.9

(D)

$$P(\text{INFECTION}) = .03$$

$$P(\text{REPAIR FAILS}) = .14$$

$$P(\text{INFECTION} \cap \text{FAILURE}) = .01$$

CREATE A TABLE

	INFECTION	NO INF	
Fail	.01	.13	.14
Success	.02	.84	.86
	.03	.97	1.00

$$P(\text{Successful} \mid \text{No INFECTION}) = \frac{.84}{.97}$$

$$= .86598$$

$$\rightarrow .8660$$



AP 2.10

(C)

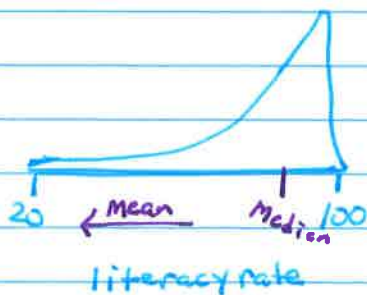
Slope =  $-0.620$

$X$  = HS graduation rate  
 $\hat{y}$  = predicted poverty

Slope for each additional unit in  $X$  (1% grad rate)  
the predicted poverty rate decreases by  $0.620$  units

AP 2.11

(B)



Shape is clearly skewed to the left

AP 2.12

(C)

Since the distribution is skewed left, the mean will be less than the median

AP 2.13

(A)

Since the distribution is skewed then the mean and standard deviation are NOT appropriate measures. ~~XXXX~~

The 5 number summary is resistant measures.  
(min,  $Q_1$ , median,  $Q_3$ , max)

AP 2.14

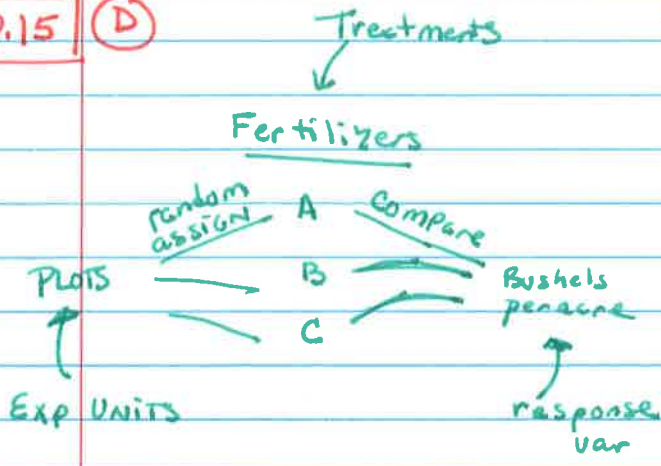
(C)

$r = 0.60$  ← correlation coef  
measures the linear association

$r^2 = (0.60)^2 = 0.36$  ← measures the % of the variation accounted for by the model.

AP 2.15

(D)



TREATMENT: FERTILIZER

EXPERIMENTAL

UNITS: PLOTS OF LAND

Response Variable:

Bushels per acre

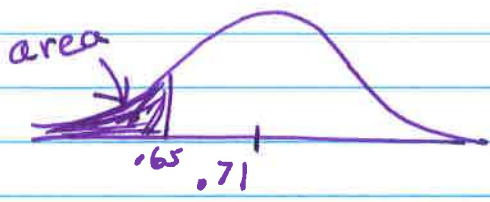
AP 2.16

(C)

own homes  $p = .71$

Sample SRS  $n = 100$

$$\hat{p} = \frac{65}{100} = .65$$



$$P(Z \leq \frac{.65 - .71}{\sqrt{\frac{(.71)(.29)}{100}}}$$

See Green Sheet

$$\mu_{\hat{p}} = p$$

$$\sigma_{\hat{p}} = \sqrt{\frac{p(1-p)}{n}}$$

AP 2.17

(E)

Z score = +2 is 2 std deviations above the mean

AP 2.18

(A)

$$P(\text{Born at Night OR Female}) = \frac{233}{513} + \frac{252}{513} - \frac{116}{513} =$$

Green Sheet

$$\begin{aligned} P(A \cup B) &= P(A) + P(B) - P(A \cap B) \\ &= P(\text{NIGHT}) + P(\text{Female}) \\ &\quad - P(\text{NIGHT AND FEMALE}) \end{aligned}$$

$$\frac{369}{513}$$

AP 2.19

(C)

Box	$\mu = 1.5$	$\sigma = .3$	lbs
Packing	$\mu = .5$	$\sigma = .1$	
Books	$\mu = 12$	$\sigma = 3$	

WEIGHTS  
INDEPENDENT

$$\sigma_T = \sqrt{.3^2 + .1^2 + 3^2} = \sqrt{9.1} = \boxed{3.0166}$$

AP 2.20

(B)

$$E(x) = 500(.012) + 100(.05) + 25(.2) + 0(.74) = \boxed{\$15}$$

Answers are A, B, or C

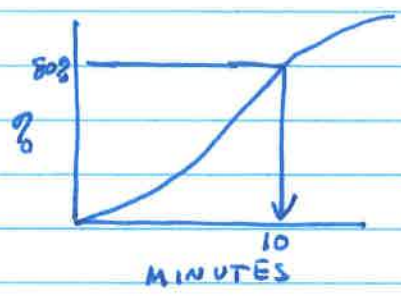
VAR(x)

①  $\left\{ \begin{array}{l} L1 - \$'s \\ L2 - \% \end{array} \right.$

②  $\left\{ \begin{array}{l} \text{STAT} > \text{CALC} > 1\text{-VAR STATS} \\ \text{LIST: L1} \\ \text{FREQ: L2} \end{array} \right.$   
 $\underline{\Sigma x = 15}$        $\underline{\sigma_x = 53.85}$

AP 2.21

(A)



80% of cells completed  
in 10 or less minutes





AP 2.23

BLOOD TYPE	HAWAII		HAWAII		TOTAL
	HAWAII	WHITE	CHINESE	WHITE	
O	1,903	4,469	2,206	53,759	62,337
A	2,490	4,671	2,368	50,008	59,537
B	178	606	568	16,252	17,604
AB	99	236	243	5,001	5,579
	4,670	9,982	5,385	125,020	145,057

a)

$$P(\text{TYPE O OR HAWAIIAN CHINESE}) = P(\text{TYPE O}) + P(\text{HAWAII CHINESE}) - P(\text{TYPE O AND HAWAII CHINESE}) =$$

$$\frac{62337}{145057} + \frac{5385}{145057} - \frac{2206}{145057} = \frac{65516}{145057} = 0.452$$

b)  $P(\text{AB} | \text{HAWAIIAN}) = \frac{99}{4670} = 0.021$

c) Are "TYPE B" and "HAWAIIAN" INDEPENDENT

$$P(\text{HAWAIIAN}) \stackrel{?}{=} P(\text{HAWAIIAN} | \text{TYPE B})$$

$$\frac{4670}{145057} \stackrel{?}{=} \frac{178}{17604}$$

$$.032 \neq .010$$

Since the 2 probabilities are NOT EQUAL THEN THEY ARE NOT INDEPENDENT.

d) P(At least 1 of the 2 specimens

Contain type A blood from white group) =  $1 - P(\text{Neither})$

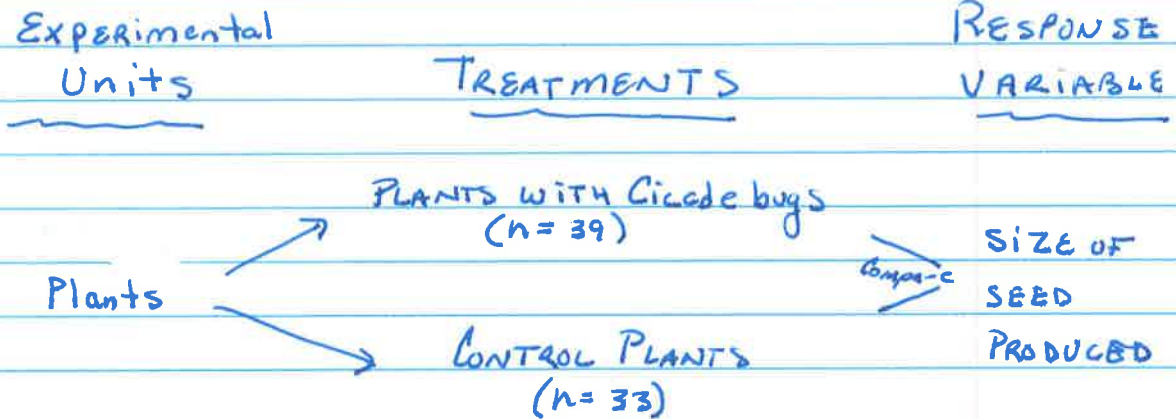
$$P(\text{TYPE A and White}) = \frac{50,008}{145,057} = 0.345$$

$$1 - (.655)^2 = 0.571$$

$$P(\text{NOT TYPE A and White}) = 1 - 0.345 = 0.655$$



AP 2.24



(a) This is an EXPERIMENT because a treatment was imposed. Researchers added cicade bugs to some plants and none to other plants (Control Group).

(b) Reviewing the box plots

① Cicade Plant distribution is skewed right while the distribution of the Control Plant is slightly skewed to the left

② The medians for both groups is the same, approximately .25mg seed mass.

③ The mean for Cicade Plants is higher. These plants are skewed right therefore the mean is pulled to the right and therefore it is higher

(c) Reviewing the numerical data, the medians are the same; and the IQR (11 and 12) are basically the same. The box plots show similar medians and the boxes are also similar. The Cicade Plant is skewed right. The mean for the Cicade plants will be slightly higher than the Control group but not large enough of a difference to rule out that's could be by chance in the random assignment AS A PLAUSIBLE EXPLANATION.



AP 2.25

(a) Diamond - win \$5  $P = 1/5$   
5 CARDS - Cost \$1

(1) Assign Diamond the numbers 0 and 1  
with numbers 2-9 representing the  
other cards

(2) On the given random number table move  
left to right and look at each  
1 digit at a time

(3) Stop when you get a diamond

(4) Count the number of cards drawn.

(b) (1) 2 9 7 5 (1) 3 2 5 8 (1) 3 (0) 4 8 4 5 (1)

4 4 7 2 3 2 (1) 8 (1) 9 4 (0) (0) (0)

#Cards 1, 5, 5, 2, 5, 7, 2, 3, 1, 1 10 simulations

(c) EXPECTED # OF CARDS TO GET A DIAMOND =  $\frac{32}{10} = 3.2$

(d) At \$1.00 per card, you would expect to pay  
\$3.20, on average, in order to win \$5.  
BASED ON THIS SIMULATION, IT IS A FAIR  
GAME.

The results would be different if you assign  
numbers 8+9 to diamonds.

10 simulations: 3, 7, 5, 11, 2, 12, 1, 7, 5, 3

Expected # cards  $\frac{56}{10} = 5.6$  cards

This gives an expected pay of \$5.60. THIS simulation  
would lead us to believe the game is NOT FAIR.